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EDM (Elucidating the Design Space of Diffusion-Based Generative Models)

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Artificial Intelligence

Creating the Future

Dong-A University

Division of Computer Engineering & Artificial Intelligence

References

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Blog

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EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Elucidating the Design Space of Diffusion-Based Generative Models

NeurIPS 2022

outstanding

Tero Karras Miika Aittala Timo Aila Samuli Laine





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On what Deterministically schedule "fade out" noise, should noise vs. replace it? be removed? denoiser denoiser denoiser denoiser denoiser denoiser denoiser denoiser

> Large numerical scale of the noise? Normalization? Where to implement it?

Predict noise or clean image? Training effort per noise level?

Differ vastly in Practical design choices like at what rate do you reduce the noise level at different stages of the generation

Deterministically or stastically

How do you deal with the vastly different signal magnitudes at different stages of this process and how do you predict the signal or the noise

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Differential equation formalism

by Y. Song et al. (2021)

- Image evolves according to a stochastic differential equation (SDE)
- Also deterministic ordinary differential equation (ODE) variant
- Generalizes existing methods, in principle

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Outline

- Part I: Common framework
 - Identifying the moving parts in existing work
- Part II: Deterministic sampling
 - Solving the ODE efficiently
- Part III: Stochastic sampling
 - Why SDE's? How to do stochastic stepping?
- Part IV: Preconditioning and training
 - How to train the CNN used in evaluating a step?
- We will not study network architectures (what layers to use, etc)!

VP (Variance Preserving) VP (Variance Exploding) VE	iDDPM + DDIM
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Yang Song* Jascha Soli-Dickstein Diederik P. Kingma Stanford University Jaschasd@google.com Diederik P. Kingma Google Brain Google Brain Google Brain abhishek Kumar Stanford University Bistanford University Bistanford University Google Brain Stanford University Bistanford University Bistanford University Abhishek Kumar Stanford University Bistanford University Bistanford University Google Brain Stanford University Bistanford University Bistanford University Abhishek Kumar Stanford University Bistanford University Bistanford University Abhishek@google.com Stanford University Bistanford University Bistanford University Abbishek@google.com Stanford University Bistanford University Bistanford University Bistanford Bistanford University Bistanford University Bistanford University Bistanford University Bistanford Bistanford University Bistanford University Bistanford University Bistanford University Bistanford University Bistanford Bistanford University Bistanford University Bistanford University B	DENOISING DIFFUSION IMPLICIT MODELS Jiaming Song, Chenlin Meng & Stefano Ermon Stanford University {tsong, chenlin, ermon}@cs.stanford.edu ABSTRACT Denoising diffusion probabilistic models (Draw- Markov chain for plan
Creating noise from data is easy; creating data from noise is generative modeling. We present a stochastic differential equation (SDE) that smoothly transforms a complex data distribution to a known prior distribution by slowly infecting noise, and a corresponding reverse time SDE that transforms the prior distribution bed into the data distribution. By lowly removing the noise. Crucially, the reverse-time SDE data distribution by slowly inferences in score-based generative modeling, we can accurately estimate these scores with neural networks, and use numerical SDE solvers to generate samples. We show that this framework encapsulates previous approaches in score-based generative modeling and diffusion probabilistic modeling, allowing for new sampling procedures and networks, and use numerical SDE in articles, allowing for new sampling procedures and networks and second previous approaches in score-based generative modeling estimates previous approaches in score-based generative modeling and diffusion readdition, we evolution of the discretized reverse time SDE. We also derive an equivalent neural ODE that samples from the same distribution as the SDE, but additionally enables exact likelihood computation, and improved sampling efficiency. In addition, we sprivide a new way to solve inverse problems with score-based models, as demonstrated with experiments on class-conditional image generation on CIFAR-10 with an faception score of 9.89 and FID of 2.20, a competitive likelihood of 2.99 bits/dim, and demonstrate high fidelity generation of 1024 × 1024 images for the first time from a score-based generative model. 1 INTRODUCTION Two successful classes of probabilistic generative models involve sequentially corrupting training and sequencing or the samples of the learning to reverse this corruption in order to form a generative model of the data. Score matching with Langevin dynamics (SMLD) (Song & Ermon, 2009) bits/dim, and demonstrate high fidelity generative models involve sequenting noise cash	1 In 1



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Two successful classes of probabilistic generative models involve sequentially corrupting training data with slowly increasing noise, and then learning to reverse this corruption in order to form a generative model of the data. Score matching with Langevin dynamics (SMLD) (Song & Ermon, 2019) estimates the score (i.e., the gradient of the log probability density with respect to data) at each noise scale, and then uses Langevin dynamics to sample from a sequence of decreasing noise scales during generation. Denoising diffusion probabilistic models to reverse each step of the noise corruption, Hot et al., 2020) trains a sequence of probabilistic models to reverse each step of the noise oruption. Hot et al., 2020) trains a sequence of probabilistic models to reverse each step of the noise oruption. For background, let's review how Song et al. (2021) formulate denoising diffusion SDE/ODE

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Milliondimensional data space Data distribution from Dataset

from this distribution

Increasing time which is an essential increasing noise level

- The density of the data on the left edge becomes diffused over time until it's completely normally distributed at the end.
- We can sample from this normal distribution at the right edge we just call random in pytorch.

- The change in image dx, equals dw which is a white noise so that's just the mathematical expression of doing cumulative sum of random noise.
- This forward equation corresponds a backward version that has this same stochastic component random walk component.
- Score function: Term that kind of attract the samples towards the data density you see some kind of a gradient of log of the data density. p is unknown

- You do not need to know the P if you have an optimal Denoiser for this data set so you can directly evaluate that formula
- This is an opportunity we train a neural network to be such a denoiser. This means that we can run this kind of backboard equation Evolution using that learn D.

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

• For any change in time I want to jump, the ODE formula tells me how much the image changes and again the ODE formula is evaluated this neural network, so the Network tells us where to go on the next step that's the general idea.

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Solution by discretization

- In stochastic sampling (SDE), we would also inject noise at every step.
- We'll leave that for later and focus on the ODE first.

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1 INTRODUCTION

Two successful classes of probabilistic generative models involve sequentially corrupting training data with slowly increasing noise, and then learning to reverse this corruption in order to form a generative model of the data. Score matching with Langevin dynamics (SMLD) (Song & Ermon, 2019) estimates the score (i.e., the gradient of the log probability density with respect to data) at each noise scale, and then uses Langevin dynamics to sample from a sequence of decreasing noise scales during generation. Denoising diffusion probabilistic modeling (DDPM) (Sohl-Dickstein et al., 2015; Ho et al., 2020) trains a sequence of probabilistic models to reverse each step of the noise corruption, using knowledge of the functional form of the reverse distributions to make training tractable. For

That was Song et al. (2021) in a nutshell (for our purposes)

Next, let's identify some design choices from different methods, and generalize.

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• When I do this sampling chain, the obvious one is that if the network gives me an incorrect direction and I end up moving in the incorrect direction and in the end I end up somewhat in the wrong place.

- Try to approximate this continuous trajectory in green here using these linear segments.
- If try to jump too far at once, the curve will kind of move away from our feet.

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• Brutal solution is to take more steps but more compute to generate an image.

- You don't have to sample in a certain way just because you train your neural network in a certain way and so on you can decouple this.
- > We'll be looking at sampling first and then coming back to the training later.

- Generalize ODE
- We can parameterize the noise level we want to have reached by explicitly by this Sigma function.

- Almost nothing happens until at almost zero time, noise level suddenly curves rapidly to one of these two basins and there's high curvature.
- Careful in sampling that region and less careful here in the bulk
- There's two ideas of how you might do that.

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 Take shorter steps at the more difficult parts usually it's the low noise levels

These two approaches are not equivalent.

The error characteristics can be vastly different between these choices like the eror that comes from tracking this continuous curve.

	VP	VE	iDDPM	+ DDIM	Ours
Sampling					
Time steps Sampling time	$t_{i < N}$				
Schedule Noise schedule	$\sigma(t)$ e				

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• Zoom out a little because in reality we add a ton of noise, the noise level is very large at the other extreme.

- If don't do anything, the signal magnitude grows as the noise level grows Keep piling noise
- The signal is quite simply bigger numerically

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Signals are much larger at the high noise levels than in the low noise levels.

- \rightarrow To be really bad for neural network training dynamics.
- \rightarrow Actually critical to deal with to get good performance.
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Variance Preserving (VP) Scale Schedule

Scale schedule : Squeeze the signal magnitude into the constant variance tube so that makes the network happy

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Scaled ODE

- Formulating an ODE that allows you to directly specify any arbitrary scale schedule.
- The only thing that the scale schedule does is distort these flow lines in some way.

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Scaled ODE



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Alternatively : Initial Scaling layer



Initial scaling layer tha uses the known signal scale

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Because the error characteristics are vastly different between these two cases.

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			VP	VE	iDDPM +	DDIM Our	S
	Sampling						
	Time steps	$t_{i < N}$	$1 + \frac{i}{N-1}(\epsilon_{\rm s} -$	1) $\sigma_{\max}^2 \left(\sigma_{\min}^2 / \sigma_{\max}^2 \right)^N$	$\begin{array}{c} \overline{}^{-1} & u_{\lfloor j_0 + \frac{M-1-j_0}{N-1}i + u_M} \\ & u_M = 0 \end{array}$	$\lfloor \frac{1}{2} \rfloor$, where	С
Noise					$u_{j-1} = \sqrt{\frac{u_j^2}{\max(\bar{\alpha}_j)}}$	$\frac{1}{1-1} + 1 - 1$	
schedule	Schedule	$\sigma(t)$	$\sqrt{e^{\frac{1}{2}\beta_{\rm d}t^2+\beta_{\rm min}t}}$	$\overline{-1}$ \sqrt{t}	t		
Scaling	Scaling	s(t)	$1/\sqrt{e^{rac{1}{2}eta_{\mathrm{d}}t^2+eta_{\mathrm{r}}}}$	$\frac{1}{1}$	1		
schedule	Network and preconditioning Skip scaling $c_{skip}(\sigma)$						
			(Dutput scaling $c_{out}(\sigma)$			
			1	nput scaling $c_{in}(\sigma)$			
			1	Noise cond. $c_{noise}(\sigma)$			
	Input scaling	$c_{ m in}(\sigma)$	$1/\sqrt{\sigma^2+1}$	1	$1/\sqrt{\sigma^2+1}$		

Identified the design choices the scaling & schedule and the scaling that happens inside the neural network itself that we count as a so-called preconditioning of the neural network.

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			VP	VE	iDDPM	+ DDIM	Ours
	Sampling						
	Time steps	$t_{i < N}$	$1 + rac{i}{N-1}(\epsilon_{\mathrm{s}} - 1)$	$\sigma_{\max}^2 \left(\sigma_{\min}^2/\sigma_{\max}^2\right)^{\frac{N-1}{N-1}}$	$u_{\lfloor j_0+\frac{M-1-j}{N-1}}$	$\frac{j_0}{i+\frac{1}{2}}$, where	-
					$u_M = 0$ $u_{j-1} = \sqrt{\frac{1}{\max}}$	$rac{u_j^2+1}{\kappa(ilde{lpha}_{j-1}/ ilde{lpha}_j,C_1)}\!-\!1$	5
lule	Schedule	$\sigma(t)$	$\sqrt{e^{\frac{1}{2}\beta_{\rm d}t^2+\beta_{\rm min}t}\!-\!1}$	\sqrt{t}	t		
g	Scaling	s(t)	$1/\sqrt{e^{\frac{1}{2}\beta_{\mathrm{d}}t^2+\beta_{\mathrm{min}}t}}$	1	1		

Input scaling	We'll use pre-trained networks from previous work for now					
	1/ V 0 - 1 1		training in Section IV			
	and	return to	training in Section 4			

We'll just try to improve the sampling; Deterministic & Stochastic sampling.

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Х

Noise Schedule $\sigma(t)$



Noise schedule

 Why are some better than others?



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Noise Schedule $\sigma(t)$



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Noise Schedule $\sigma(t)$



More successful when the tangents happen to coincide with this curve trajectory and so the trajectory is as straight as possible



Bad schedule : a visible gap between the tangent and the curve Easily fall off if you try to step too much.

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Noise Schedule $\sigma(t)$



Random family of different schedules

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Noise Schedule $\sigma(t)$





We advocate the "linear" schedule (same as DDIM):

$$\sigma(t) = t$$
$$s(t) = 1$$

Note: We'll normalize signals by preconditioning rather than scaling the ODE. But more on that later. We advocate the "linear" schedule (same as DDIM):

$$\sigma(t) = t$$
$$s(t) = 1$$

$$\mathrm{d}\mathbf{x} = -t \
abla_\mathbf{x} \log p_t(\mathbf{x}) \ \mathrm{d}t$$

We'll be leaving the scaling for Neural Network parameterization. The reason for that is that the scaling also introduces unwanted curvature into these lines.

As a further with this the ODE becomes very simple

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Noise Schedule $\sigma(t)$ Scaling Schedule s(t)



We advocate the "linear" schedule (same as DDIM):

$$\sigma(t) = t$$
$$s(t) = 1$$

This schedule allows us to take long steps

If I take a step directly to time zero, then with only these schedules, the tangent is pointing directly to the denoise output.

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The denoise output changes only very slowly during the sampling process.

Mean that the direction you are going to doesn't change almost at all

So it means you can take long bold steps and you can consequently only take a few steps or many fewer steps than with the alternatives.

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Varying step length



Take different length steps at different stages of the generation



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Varying step length



Varying step length

 All previous methods effectively use shorter steps at low noise levels

 A polynomially growing step
 length captures the essence of these schemes. We find the optimal growth rate empirically.



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Higher-order solvers



ODE framework allows you to do which the Markov chain formulas uses the higher-order solvers, so there is going to be curvature.

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It can be rapid at places, so you can fall of the track if you just follow the tangent by using the Euler step

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2nd order Heun step



Heun's method : 1) Take the second tentative step and move it back to where you started from, 2) Take average of that and the initial one



Strike the best balance between these higherorder methods

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		VP	VE	iDDPM + DDIM	Ours
Sampling					
ODE solver		Euler	Euler	Euler	2 nd order Heun
Time steps	$t_{i < N}$	$1 + rac{i}{N-1}(\epsilon_{\mathrm{s}} - 1)$	$\sigma_{\max}^2 \left(\sigma_{\min}^2 / \sigma_{\max}^2 \right)^{\frac{i}{N-1}}$	$u_{\lfloor j_0 + \frac{M-1-j_0}{N-1}i + \frac{1}{2} \rfloor}, \text{ where} \\ u_M = 0 \\ u_{j-1} = \sqrt{\frac{u_j^2 + 1}{\max(\bar{\alpha}_{j-1}/\bar{\alpha}_{1}, C_1)} - 1}$	$ \left(\sigma_{\max}^{\frac{1}{\rho}} + \frac{i}{N-1} \left(\sigma_{\min}^{\frac{1}{\rho}} - \sigma_{\max}^{\frac{1}{\rho}} \right) \right)^{\rho} $
Schedule	$\sigma(t)$	$\sqrt{e^{\frac{1}{2}\beta_{\rm d}t^2+\beta_{\rm min}t}\!-\!1}$	\sqrt{t}	t	t
Scaling	s(t)	$1/\sqrt{e^{rac{1}{2}eta_{\mathrm{d}}t^2+eta_{\mathrm{min}}t}}$	1	1	1

Network and preconditioning

Output scaling $c_{out}(\sigma)$

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Evaluation of discretization & solver



Need to take something like a hundreds or even thousands of steps to get kind of saturated quality and to get the best quality that model gives you

NFE (the number of neural function evaluations) : Forward pass 중에 전체 모델 파라 미터가 몇번이나 계산되었 는가를 의미하는 지표







EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.



Evaluation of discretization & solver

Heun & Our discretization schedule : Go to from hundreds to dozens of evaluations



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EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.





Evaluation of schedule

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ODE vs SDE

Instead of following these nice smooth flow trajectories, the SDE is sort as some kind of exploration around that baseline so it can be interpreted as replacing the noise and reducing it.

In practice you tend to get better results when you use the SDE instead of the ODE at least in previous works

 Let's first pick this apart, and then see why it's useful

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Generalized SDE

Generalized SDE allows you to specify the strength of this exploration by this noise replacement schedule $\beta(t)$

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Generalized SDE

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$$d\boldsymbol{x}_{\pm} = -\dot{\sigma}(t)\sigma(t)\nabla_{\boldsymbol{x}}\log p(\boldsymbol{x};\sigma(t)) dt \pm \frac{\beta(t)\sigma(t)^{2}\nabla_{\boldsymbol{x}}\log p(\boldsymbol{x};\sigma(t)) dt + \sqrt{2\beta(t)}\sigma(t) d\omega_{t}$$

probability flow ODE

deterministic noise decay

noise injection

Shapes the trajectories, such that they pass through the desired distributions p_t at time t

Driving towards the distribution and making it follow the flow lines

Randomly explores the distribution p_t at time t, driving the samples towards it

Langevin diffusion SDE

It makes the samples explore the distribution. If the samples are not distributed correctly, it will reduce that error. Healing property → Because we do make errors during the sampling, it can actively corrects for them

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> Why the stochastic is helpful?



Langevin diffusion

Samples blue dots in Bad case (not follow the underlying distribution at all)

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> Why the stochastic is helpful?

If keep following ODE, do nothing to correct that skew and completely miss the other base data



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> Why the stochastic is helpful?

Langevin diffusion



So these samples do this kind of random exploration and gradually forget where they came from and forget the error and initial position.

And now we've covered both modes for example in the generated images on left edge.

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Langevin diffusion

- The main benefit of SDE over ODE is the implicit Langevin exploration
- Could we instead simply combine the higher-order
 ODE solver and Langevin diffusion?

Answer

Our stochastic sampler
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Stochastic Sampler



Noise level $t_i \rightarrow Act$ completely equivalent with the time

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Stochastic Sampler



Our stochastic sampler

- At each step i:
 - We are at noise level t_i
- Add noise to reach noise level γ_it_i
- Solve ODE backwards to the next time step t_{i+1} (with single Heun step)
- Here, γ_i specifies Langevin strength

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Stochastic Sampler



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Image: winnifredxoxo at Flickr

Get these errors correct reaction but it's not actually free because the Langevin diffusion is also an approximation of some continuous thing.

Quite delicate balance how much make error

Need to tune the amount of stochasticity on a data set per architectural basis

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Evaluation



EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Evaluation



Optimal settings

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Evaluation





Deterministic
Original sampler
Optimal settings
Jolicoeur-Martineau et al. [23]

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Outline

- Part I: Common framework
 - · Identifying the moving parts in existing work
- Part II: Deterministic sampling
 - Solving the ODE efficiently
- Part III: Stochastic sampling Summary (정리)
 - Why SDE's? How to do stochastic stepping?
- · Part IV: Preconditioning and training
 - How to train the CNN used in evaluating a step?

Outline

- Part I: Common framework
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Recall two sources of error



Discretized steps in sampling

· We studied this with pre-trained networks



- Inaccurate neural denoiser, a.k.a. score function Next up:
 - Improved network preconditioning (e.g., input and output scales)
 - Improved training (loss scaling, and what noise levels to train at?)

• We will not change the layer architecture, etc. (much)

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.



Recall...

- ODE step uses the score function
- ... which can be computed using a denoiser
- ... which we approximate with a neural network

ODE Role Give us the step direction by the score function, evaluated using a Denoiser which can be approximated using neural network

The role of neural networks tells where to go in a single step or what direction you need to go to

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.



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Preconditioning

- To make things easy for the CNN:
 (A) Always feed unit stdev inputs to networks
 (B) .. and train with unit stdev targets
- Want to wrap it between some kind of a signal management layers to manage those signal scales of both the input and the output to standardize them.
- Often recycle from the input because if the input image is almost noise free, then we don't really need to denoise much.
- Networks make errors. We should

 (C) minimize network's contribution to output of the denoiser
- Our noise levels vary wildly, so this is critical!
- Should copy just what we know and only fix the remainder we're going to come to that soon.

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

• Learning to predict the noise instead of the signal using CNN layers loss weight **Noise prediction** Noise raw CNN layers random noise mean level square σ LOSS skip connection DENOISER

- VE method implement the denoiser

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This is actually a good idea at a small noise levels but a

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Recycling what we already knew instead of trying to learn the identity function with the network

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Training data image

Architecture of F_{θ} (any) Skip scaling $c_{skip}(\sigma) \sigma_{data}^2 / (\sigma^2 + \sigma_{data}^2)$ Output scaling $c_{out}(\sigma) \sigma \cdot \sigma_{data} / \sqrt{\sigma_{data}^2 + \sigma^2}$ Input scaling $c_{in}(\sigma) 1 / \sqrt{\sigma^2 + \sigma_{data}^2}$ Noise cond. $c_{noise}(\sigma) \frac{1}{4} \ln(\sigma)$



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		VP	VE	iDDPM + DDIM	Ours
Sampling					
ODE solver		Euler	Euler	Euler	2nd order Heun
Time steps	$t_{i < N}$	$1 + \frac{i}{N-1}(\epsilon_{\rm s} - 1)$	$\sigma_{\max}^2 \left(\sigma_{\min}^2 / \sigma_{\max}^2 \right)^{\frac{i}{N-1}}$	$u_{1,i_0+\frac{M-1-j_0}{i+1}}$, where	$(\sigma_{\max}^{\frac{1}{\rho}} +$
				$u_M = 0$	$\frac{i}{N-1} \left(\sigma_{\min}^{\frac{1}{p}} - \sigma_{\max}^{\frac{1}{p}} \right)$
				$u_{j-1} = \sqrt{\frac{u_j^2 + 1}{\max(\bar{\alpha}_{j-1}/\bar{\alpha}_j, C_1)}} - 1$	
Schedule	$\sigma(t)$	$\sqrt{e^{\frac{1}{2}\beta_{\rm d}t^2+\beta_{\rm min}t}\!-\!1}$	\sqrt{t}	t	t
Scaling	s(t)	$1/\sqrt{e^{rac{1}{2}eta_{\mathrm{d}}t^2+eta_{\mathrm{min}}t}}$	1	1	1
Network and	precond	itioning			
Skin scaling $c_{\rm res}(\sigma)$		1	1	1	$\sigma^2 / (\sigma^2 + \sigma^2)$
Output scaling $c_{skip}(\sigma)$		- 7	7	- 7	$\sigma_{data} / (\sigma_{data})$
$Cutput scaling c_{out}(0)$		-0	0	-0	$0.0_{\text{data}}/\sqrt{0_{\text{data}}} + 0$
Input scaling	$c_{in}(\sigma)$	$1/\sqrt{\sigma^2+1}$	1	$1/\sqrt{\sigma^2 + 1}$	$1/\sqrt{\sigma^2 + \sigma_{data}^2}$
Noise cond. c	$noise(\sigma)$	$(M-1) \sigma^{-1}(\sigma)$	$\ln(\frac{1}{2}\sigma)$	$M-1-\arg\min_j u_j-\sigma $	$\frac{1}{4}\ln(\sigma)$

Loss weighting $\lambda(\sigma)$

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.



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Loss weighting and noise level distribution



1. Baseline: frequent small updates on some noise levels, infrequent large updates on others. Unhealthy training dynamics.

General problem

- Might have a highly lopsided distribution of like gradient feedback.
- If not careful on most iteration, provide the weights gently to one direction or the other and have the massive gradient smash on the weights every few iterations.

That's probably very bad for your training dynamics.

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Loss weighting and noise level distribution





2. Loss weighting equalizes gradient magnitudes.



3. Use **noise level distribution** to train the network more often at noise levels where training has impact.

The noise level distribution may how often you show images of any given noise level.

1. Baseline: frequent small updates on some noise levels, infrequent large updates on others. Unhealthy training dynamics.

The role of the loss weighting or the scaling, the numerical scale in front of the loss term, should be to just equalize the magnitude of the loss or equivalently equalize the magnitude of the gradient feedback it gives.
EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Loss weighting and noise level distribution

The role of noise level distribution is to direct your training efforts to the levels where you know it's relevant where you know you can make an impact.



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Loss weighting and noise level distribution



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$\mathbf{\Lambda}$ loss loss at initialization 1.0 0.5 noise level \rightarrow 0

Loss weighting and noise level distribution

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Loss weighting and noise level distribution



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	VP	VE	iDDPM + DDIM	Ours	
Sampling					
ODE solver	Euler	Euler	Euler	2 nd order Heun	
Time steps $t_{i < N}$	$1 + \frac{i}{N-1}(\epsilon_{\rm s} - 1)$	$\sigma_{\max}^2 \left(\sigma_{\min}^2/\sigma_{\max}^2\right)^{rac{i}{N-1}}$	$u_{\lfloor j_0+\frac{M-1-j_0}{N-1}i+\frac{1}{2}\rfloor},$ where	$\left(\sigma_{\max}^{\frac{1}{\rho}}+\frac{1}{1}\right)$	
			$u_{M} = 0$ $u_{j-1} = \sqrt{\frac{u_{j}^{2} + 1}{\max(\bar{\alpha}_{j-1} / \bar{\alpha}_{j}, C_{1})} - 1}$	$\frac{\delta}{N-1}(\sigma_{\min}\rho - \sigma_{\max}\rho))^{2}$	
Schedule $\sigma(t)$	$\sqrt{e^{\frac{1}{2}\beta_{\rm d}t^2+\beta_{\rm min}t}\!-\!1}$	\sqrt{t}	t	t	
Scaling $s(t)$	$1/\sqrt{e^{\frac{1}{2}\beta_{\mathrm{d}}t^2+\beta_{\mathrm{min}}t}}$	1	1	1	
Network and precondi	-				
Skip scaling $c_{\rm skip}(\sigma)$	1	1	1	$\sigma_{ m data}^2 / \left(\sigma^2 + \sigma_{ m data}^2 ight)$	
Output scaling $c_{out}(\sigma)$	$-\sigma$	σ	$-\sigma$	$\sigma \cdot \sigma_{\text{data}} / \sqrt{\sigma_{\text{data}}^2 + \sigma^2}$	
Input scaling $c_{in}(\sigma)$	$1/\sqrt{\sigma^2+1}$	1	$1/\sqrt{\sigma^2+1}$	$1/\sqrt{\sigma^2+\sigma_{ m data}^2}$	
Noise cond. $c_{noise}(\sigma)$	$(M-1) \sigma^{-1}(\sigma)$	$\ln(\frac{1}{2}\sigma)$	$M - 1 - \arg\min_j u_j - \sigma $	$\frac{1}{4}\ln(\sigma)$	
Training					
Noise distribution	$\sigma^{-1}(\sigma) \sim \mathcal{U}(\epsilon_{\mathrm{t}}, 1)$	$\ln(\sigma) \sim \mathcal{U}(\ln(\sigma_{\min}))$	$\sigma = u_j, \ j \sim \mathcal{U}\{0, M-1\}$	$\ln(\sigma) \sim \mathcal{N}(P_{\rm mean}, P_{\rm std}^2)$	
Loss weighting $\lambda(\sigma)$	$1/\sigma^2$	$1/\sigma^2$ $\operatorname{III}(\sigma_{\max}))$	$1/\sigma^2$ (note: *)	$\left(\sigma^2\!+\!\sigma_{\rm data}^2\right)/(\sigma\cdot\sigma_{\rm data})^2$	

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Overfitting and Augmentations

Training GANs With Limited Data, StyleGAN2 with Adaptive Discriminator Augmentation (ADA)

Non-leakikng augmentation & ADA(Adaptive Discriminator Augmentation)

- 만약 training data에 90도 회전이라는 augmentation을 주면, generator는 90도 돌아간 이미지를 생성한다. 이것을 **leaking**이 라고 한다. Discriminator가 augmentation된 이미지와 그렇지 않 은 이미지를 구분하지 못하게 되는 것이다.
- Non-leaking augmentation을 위해서는 이미지에 transformation을 가하되, 그 transformation이 확률 분포의 관점 에서 *invertible*해야 한다. Invertible한 augmentation을 가했을 경우 training 과정에서 모델이 corruption을 걸러내고 원래의 분 포를 잘 학습하게 된다고 한다.
- 가령 전체 이미지의 90%를 0으로 만드는 변환을 한다고 하자. 그 러면 90%의 검은 이미지를 제외하고 10%의 진짜 이미지를 찾을 수 있고, 그 augmentation을 undo 할 수 있다. 이것은 확률 분포 의 관점에서 invertible한 변환의 예이다. 이번에는 {0, 90, 180, 270}도 중 무작위로 골라 이미지를 회전하는 augmentation을 생 각해보자. 그러면 원래의 방향을 가늠할 수 없으므로 undo할 수 없 고, 따라서 invertible하지 않다. 이런 augmentation에서는 leaking이 발생하게 된다.
- 여기서, augmentation을 p의 확률로 적용한다고 하자. 그러면 회 전되지 않은 이미지의 개수가 늘어나므로 진짜 이미지를 구분할 수 있고, invertible하게 된다. 다시 말해, 어떤 augmentation이 p 값 에 따라 leaking 할 수도 있고 non-leaking 할 수도 있다는 뜻이다

https://medium.com/swlh/training-gans-with-limited-data-22a7c8ffce78 https://yun905.tistory.com/56



- The generator is forced to match the fake distribution x to the real distribution y in order to match the transformed distributions Tx and Ty.
- If we apply an invertible transformation T to the generated and real distributions x and y, then it is sufficient to match augmented distributions Tx and Ty in order to match the original distributions x and y.
- Theoretically, if the augmentation operator T is "invertible", there exists one and only one x for the augmented distribution Tx, and there should be no "leaks" in x. However, in practice, due to limitations of finite sampling, finite representational power of the networks, inductive bias and training dynamics, very high values of p leads to leaking of augmentations in the generated images.

Training GANs With Limited Data, StyleGAN2 with Adaptive Discriminator Augmentation (ADA)

https://medium.com/swlh/training-gans-with-limited-data-22a7c8ffce78 https://yun905.tistory.com/56



Non-leakikng augmentation & ADA(Adaptive Discriminator Augmentation)



Figure. As the training progresses, the overlap between discriminator output distributions for real and generated images decreases

- The standard way of quantifying overfitting is to use a separate validation set and observe its behavior relative to the training set. When overfitting kicks in, the validation set starts to behave increasingly like the generated images, and the discriminator outputs for real and generated samples begin to diverge.
- Figure (a) : 데이터 수와 성능은 매우 밀접한 관계를 가지고 있음. 적은 데이터에서는 training이 diverge함.
- Figure (b)와 (c) : Discriminator output으로 discriminator overfitting이 일어나는 것을 확인 할 수 있음. Discriminator가 적은 수의 training data에 overfit되어서 overlap이 없어지면 FID 도 하락함을 알 수 있음.

Training GANs With Limited Data, StyleGAN2 with Adaptive Discriminator Augmentation (ADA)

Non-leakikng augmentation & ADA(Adaptive Discriminator Augmentation)

Two plausible overfitting heuristics to measure overfitting

$$r_v = \frac{\mathbb{E}[D_{\text{train}}] - \mathbb{E}[D_{\text{validation}}]}{\mathbb{E}[D_{\text{train}}] - \mathbb{E}[D_{\text{generated}}]} \qquad r_t = \mathbb{E}[\text{sign}(D_{\text{train}})]$$

- The first heuristic rv, expresses the output for a validation set relative to the training set and generated images. The numerator is 0 when the training and validation set behave exactly the same, hence r=0 means no overfitting. The numerator and denominator are the same when the generated and validation set behave exactly the same, hence r=1 indicates complete overfitting.
- Since it assumes the existence of a separate validation set in an already small dataset, it is not feasible to calculate the rv heuristic. Hence, the authors turn to rt - which estimates the portion of the training set that gets positive discriminator outputs - to identify overfitting and dynamically adapt the augmentation probability p as the training progresses:
- rt too high \rightarrow augment more (increase p)
- rt too low \rightarrow augment less (decrease p)

https://medium.com/swlh/training-gans-with-limited-data-22a7c8ffce78 https://yun905.tistory.com/56

왼쪽은 단지 비교를 위한 수식이고, 실제로 대부분의 실험에서 오른쪽을 사용하였다. 왼쪽의 수식은 validation set을 필요로 하기 때문에 limited dataset에서 적용하기 힘든 부분이 있다.

둘다 0~1의 범위에서 1이면 discriminator overfitting이 매우 심한 것이고 0이면 전혀 없는 것 이다. Overfitting이 심해질수록 discriminator가 validation set을 generated image라고 판단 한다는 것을 위에서 확인했다. 이 경우 r_v는 1이 된다. r_t에서 sign이 붙은 이유는 단지 그렇 게 하면 여러 세팅에서 덜 sensitive하기 때문이다.

이러한 heuristic의 target value를 0~1 사이의 임의의 값으로 정하고, 그 값을 기준으로 p값을 adaptive하게 조절하는 것을 ADA라고 한다.

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.



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Evaluation of training (deterministic sampling)

	CIFAR-10 [28] at 32×32				FFHQ [26] 64×64		AFHQv2 [7] 64×64	
	Conditional		Unconditional		Unconditional		Unconditional	
Training configuration	VP	VE	VP	VE	VP	VE	VP	VE
A Baseline [42] (*pre-trained)	2.48	3.11	3.01*	3.77*	3.39	25.95	2.58	18.52
B + Adjust hyperparameters	2.18	2.48	2.51	2.94	3.13	22.53	2.43	23.12
C + Redistribute capacity	2.08	2.52	2.31	2.83	2.78	41.62	2.54	15.04
D + Our preconditioning	2.09	2.64	2.29	3.10	2.94	3.39	2.79	3.81
E + Our loss function	1.88	1.86	2.05	1.99	2.60	2.81	2.29	2.28
F + Non-leaky augmentation	1.79	1.79	1.97	1.98	2.39	2.53	1.96	2.16
NFE	35	35	35	35	79	79	79	79

Imagenet 64 x 64 (stochastic sampling) FID 1.36 ****** state of the art FID

With deterministic sampling when we enabled the stochastic sampling and tailor it for these architectures for ImageNet and use this retrained these networks we trained ourselves using these principles, We get a FID of 1.36.

EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Is stochasticity still helpful?

CIFAR-10: no

Imagenet: yes



EDM : Tero Karras, Miika Aittala, Timo Aila, Samuli Laine, "Elucidating the Design Space of Diffusion-Based Generative Models," NeurIPS 2022.

Conclusions

- Modular design of diffusion models
 - Training, and sampling and network architectures are not tightly coupled
- Careful design of each "module" yields considerable improvements
- Stochasticity is a double-edged sword
- Higher resolutions, network architectures, conditioning/guidance, large scale datasets, ... ?
 - Ripe for principled analysis of foundations